

# Disruption Modelling with M3D-C1

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# Outline

- **2D – VDE studies in an ITER plasma: A Summary**  
Vertical Forces and the role of halo currents
- **3D – VDE studies in an ITER plasma: progress status**  
Sideways forces (underway)
- **Modelling C pellets in NSTX-U**

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# 2D – VDE in ITER. A summary

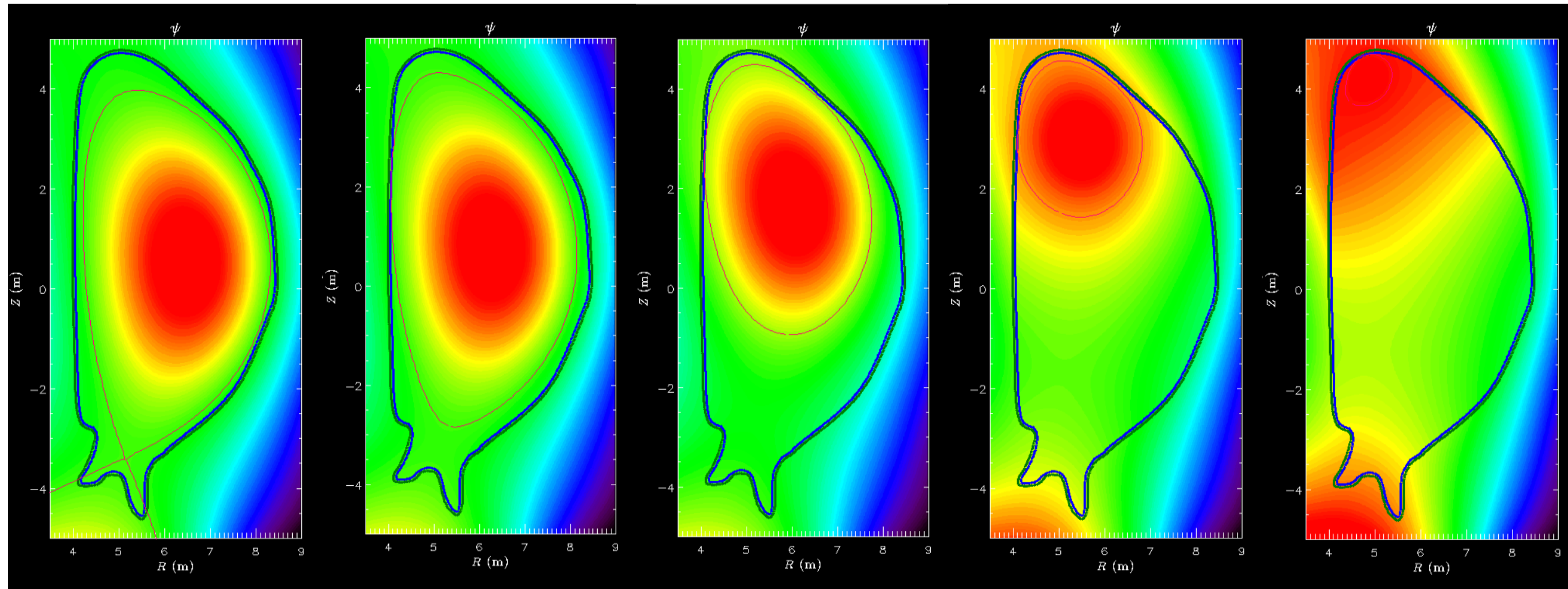
Initial  
equilibrium

375 ms  
Wall Contact

635 ms  
Thermal Quench

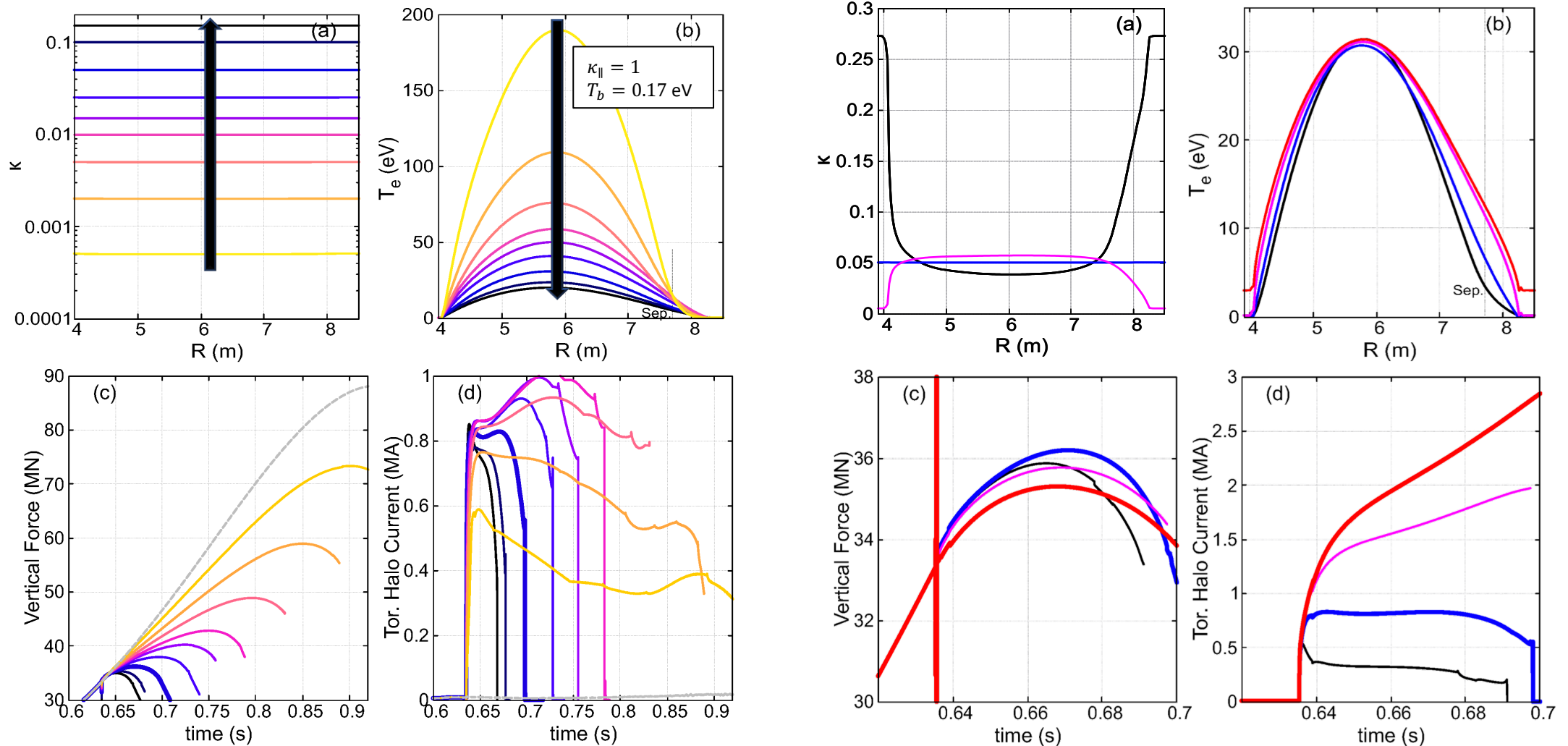
678 ms  
Max Vert Force

700 ms  
LCFS disappears



# 2D – VDE in ITER. A summary

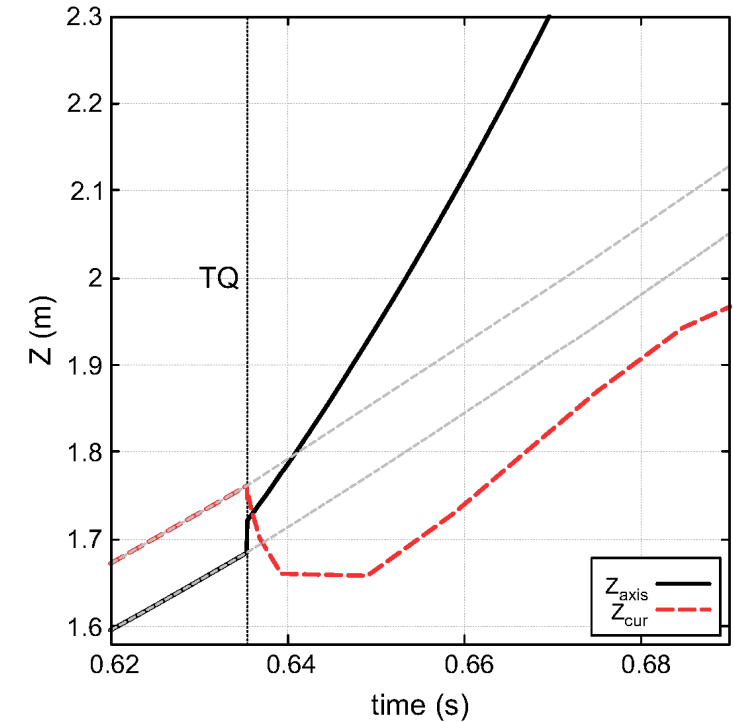
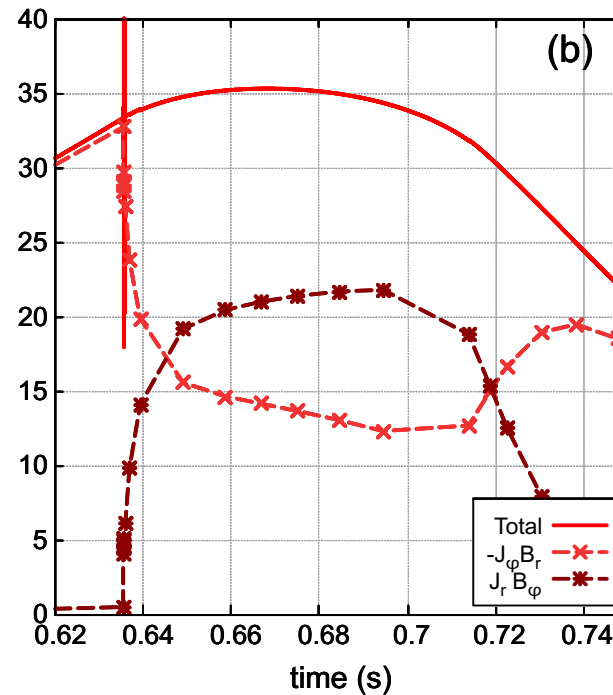
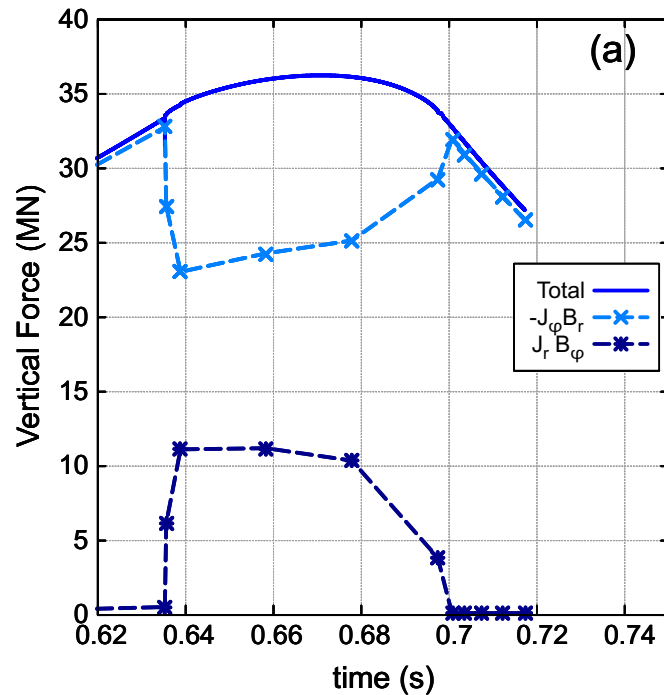
We have scanned different post-TQ conditions by varying the post-TQ  $\kappa_{\perp}$



# 2D – VDE in ITER. A summary

Constant  $\kappa$ , .17 eV  $T_e$  BC

Decreasing  $\kappa$ , 3 eV  $T_e$  BC



- Larger halo current had larger  $J_r B_\phi$  term, as expected,
- but, it is offset by a stronger reduction in the  $J_\phi B_r$  contribution.
- **Total vertical force is almost unaffected by magnitude of halo current.**

**The halo region formation produces a current density centroid displacement**

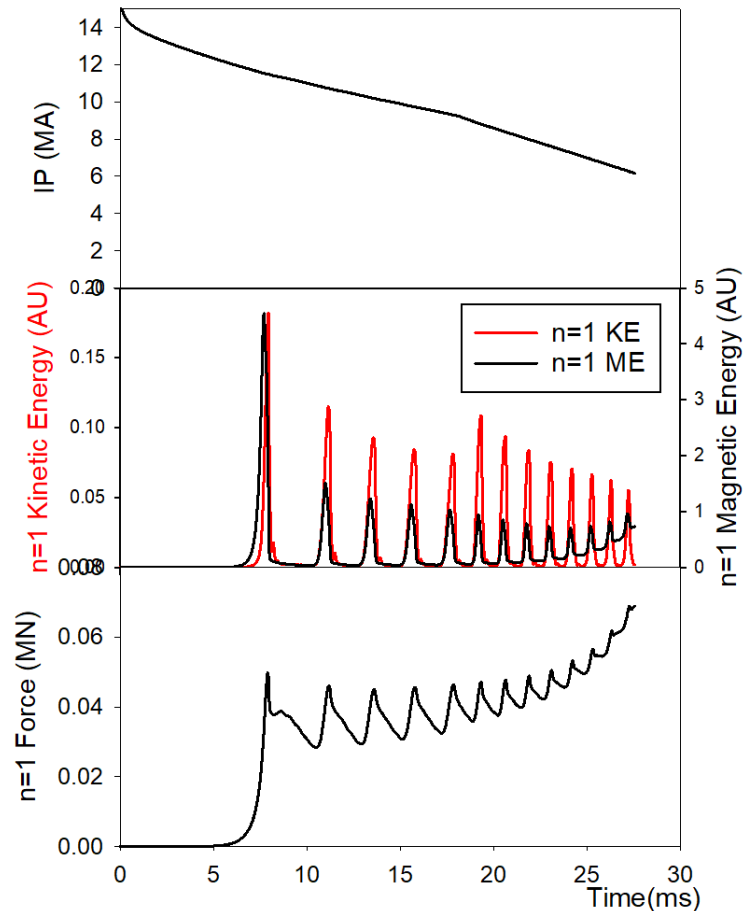
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# 3D – VDE Studies (TQ also initiated by $\kappa_{\perp}$ )

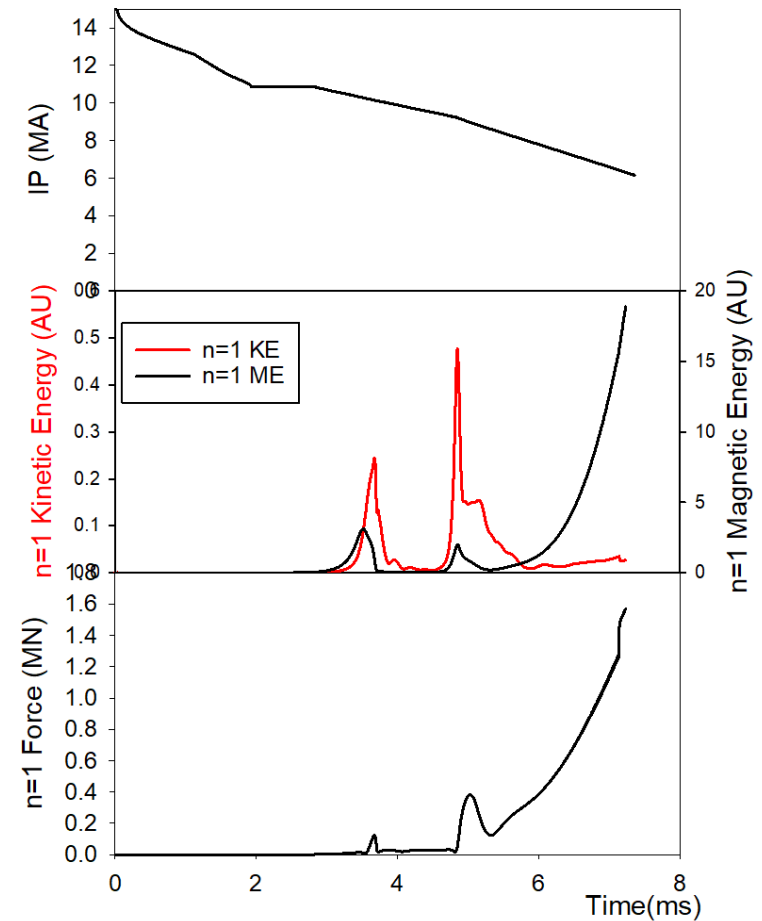
Using actual vessel time

$\tau_w \approx 235$  ms



Wall resistivity increased by 1000

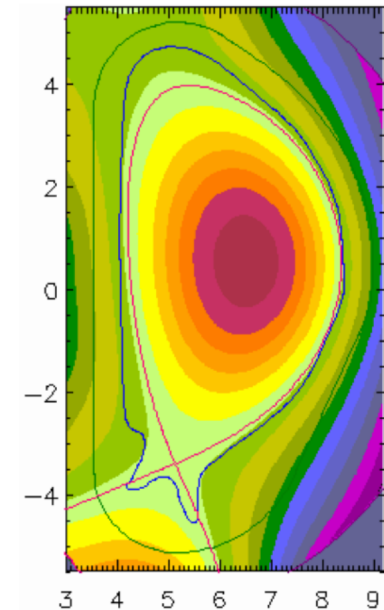
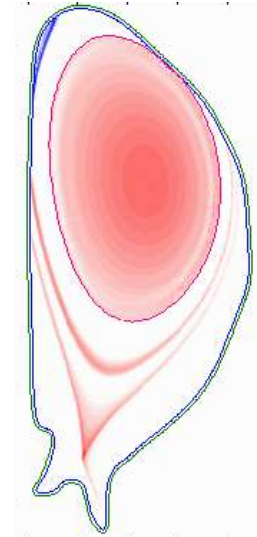
$\tau_w \approx 0.235$  ms





# 3D – VDE Studies (TQ also initiated by $\kappa_{\perp}$ )

- Comparison of two simulations with  $\tau_w = 235$  ms and  $\tau_w = 0.235$  ms shows that small sideways force is due to  $\gamma \tau_w \gg 1$  for n=1 mode with ITER vessel
- Large halo current case in progress
- Now in discussions with F. Villone about using CARRIDI to generate a more detailed wall model that can be incorporated into M3D-C1
  - Need to separate “first wall” and vessel
  - Need more detailed model of vessel structure



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# Modelling C pellets in M3D-C1

- **We are starting a systematic study of C pellet injection in a NSTX-U-like configuration**
- **This is motivated by the EM pellet injector that is being proposed for NSTX-U**
  - Very fast response time (2-3 ms)
  - Speeds up to 1 km/s

# C ablation model based on...

- Sergeev et al., Plasma Phys. Rep. 32 (2006) 363
- Sergeev et al., ECA 18B (1994) 1364
- Kuteev et al., Sov. J. Plasma Phys. 10 (1984) 675

## Neutral Gas Shielding Model (NGS)

- Key quantity is  $\delta = q_p/q_0 \rightarrow$  shielding factor
- Hydrogen pellets
  - Low sublimation energy  $\varepsilon$
  - $\delta \ll 1$ : Most of the plasma heat flux is absorbed by the neutral pellet cloud
- Refractory pellets
  - High sublimation energy
  - $\delta \geq 0.8$ : Most of the plasma heat flux reaches the pellet surface
  - Delayed time at which evaporation begins

## The model does not include

- Suprathermal particle contribution
- Electrostatic shielding does not work well

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For both limits an analytical expression for the reaction rate  $\dot{N}$  is derived

**Strong shielding ( $\delta \rightarrow 0$ )**

Based on scaling laws

$$\dot{N}_0 \left[ \frac{\text{Atom}}{\text{s}} \right] \cong 1.94 \times 10^{14} n_e^{0.45} [\text{cm}^{-3}] \times T_e^{1.72} [\text{eV}] r_p^{1.44} [\text{cm}] \varepsilon^{-0.16} [\text{eV}] \times A_p^{-0.28} [\text{amu}] Z_p^{-0.56} (\gamma - 1)^{0.28}$$

**Weak shielding ( $\delta \rightarrow 1$ )**

$$\dot{N} \left[ \frac{\text{Atom}}{\text{s}} \right] \cong \frac{\delta}{\varepsilon} r_p^2 n_e \sqrt{\frac{8\pi T_e^3}{m_e}}$$

$$\delta^{-1} = 1 + \frac{1.725\sqrt{\pi}(\pi - 2)Z_p e^4 r_p n_e E_1(I_{eff}/T_e)}{\varepsilon V_s \sqrt{2 m_e T_e}}$$

$$V_s = \sqrt{\gamma T_s / m_p} \quad T_s \approx 5000 \text{ K}$$

However, C pellet can have an **intermediate shielding**

- There is no analytical model for this regime
- They propose a standard interpolation:

$$\dot{N} = \frac{\dot{N}_0 \dot{N}_1}{\dot{N}_0 + \dot{N}_1}$$

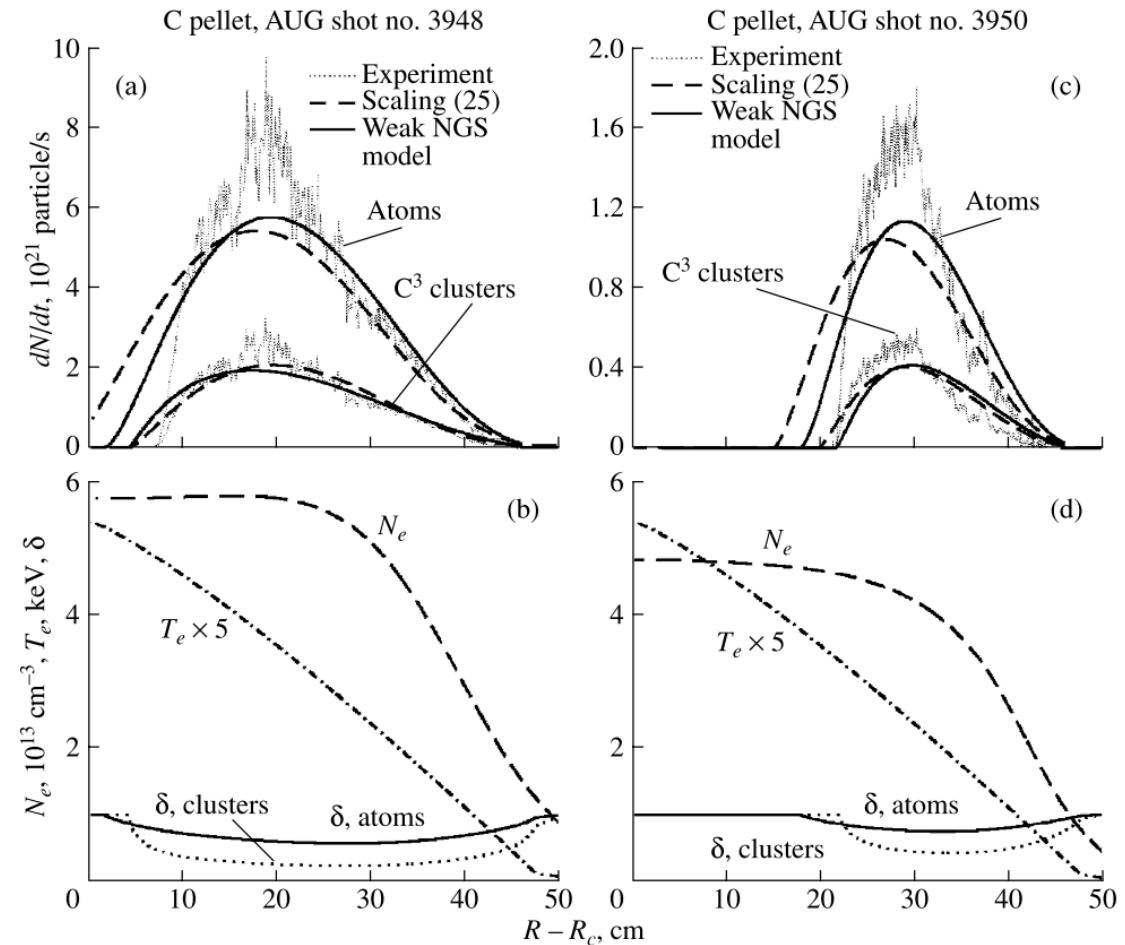
# Ablation models agree well with experimental data

They have been tested on a series of AUG shots

Parameter	3948	3950
$r_p$	0.25 mm	0.16 mm
$v_p$	485 m/s	265 m/s

Parameter	C atom	C <sup>3</sup> cluster
$\varepsilon$ [eV]	8.8	11.6
$\gamma$	5/3	8/6
$Z_p$	6	18

SERGEEV et al.



# Modelling C pellet in M3D-C1

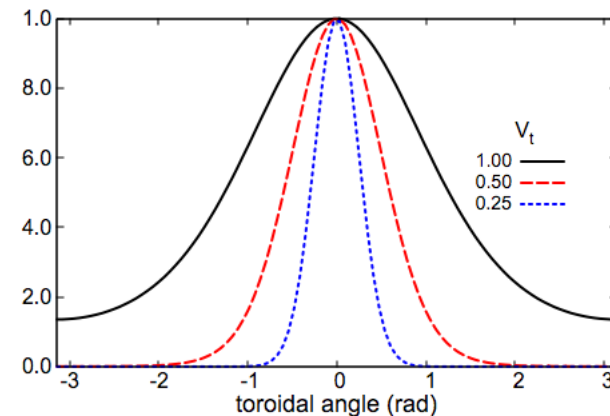
We have incorporated these ablation models in M3D-C1

However, the spatial distribution for the neutral cloud is prescribed:

$$S = \frac{1}{(2\pi)^{3/2} V_p^2 V_t} \exp \left[ -\frac{(R - R_p)^2 + (Z - Z_p)^2}{2V_p^2} - \frac{RR_p (1 - \cos(\varphi - \varphi_p))}{V_t^2} \right]$$

In NSTX-U  $R_{out} \sim 1.4$  m. Thus, the minimum toroidal neutral cloud size scales roughly as\*

# tor. Planes	$V_t$
8	1.00 m
16	0.50 m
32	0.25 m

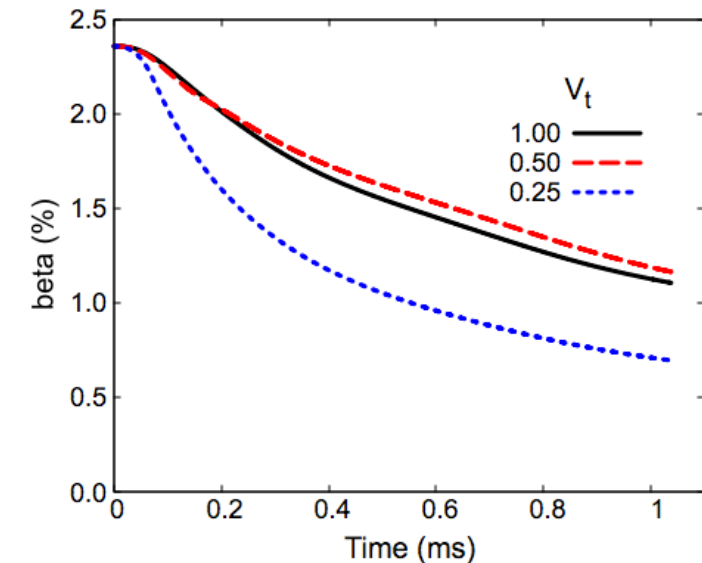
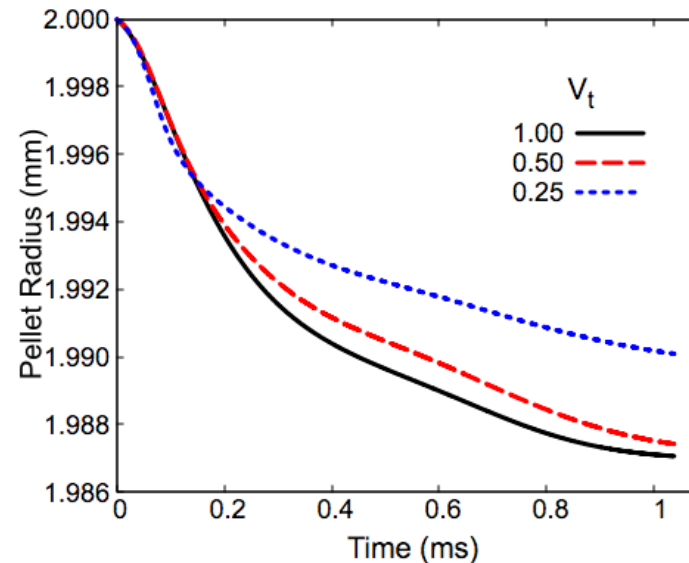
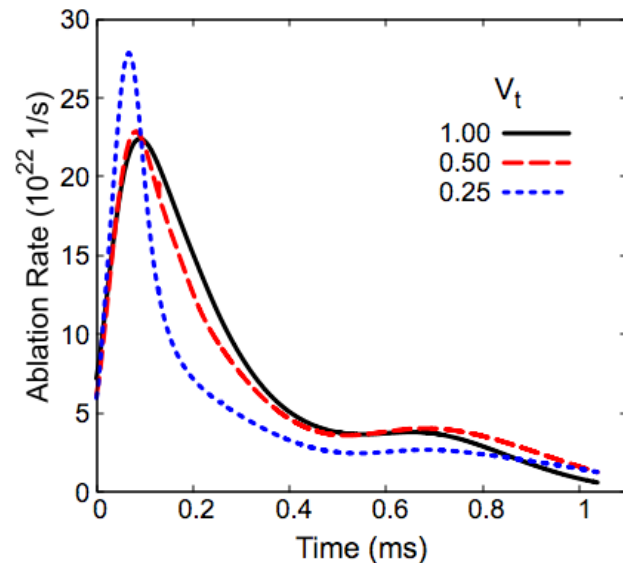


\* Using spatially uniform toroidal planes. Now the code has the capability to increase the number of toroidal planes in a localized region.

# Preliminary Studies

We have carried out preliminary simulations to evaluate how sensitive are the toroidal neutral cloud size

Parameter	Initial value
Pellet radius	2 mm
Pellet velocity	1000 m/s
Poloidal size $V_p$	10 cm





# Next steps...

- **We have requested the previous AUG shots with C pellets injection in order to Validate/calibrate our implementation.**
  - This will be important to determine how large can be the neutral cloud

Assuming that ablated particles follow an adiabatic expansion:

$$T_s \approx 5000 \text{ K} \rightarrow V_s \approx 2.4 \times 10^5 \text{ cm/s (Carbon atoms)}$$

$$v_{ion} \gtrsim 10^6 \text{ s}^{-1} \quad (\text{C}^0 \rightarrow \text{C}^1 \text{ with kprad})$$

Thus, the mean-free path  $\lambda \lesssim 0.2 \text{ cm}$

This is a very small size for 3D modelling.

# Next steps...

- **Evaluate whether or not adding the initial pellet heating**

- “The interaction of refractory pellet with plasmas differs substantially from that of Hydrogen pellets in that there is a noticeable delay between the time the pellet enters the plasma and the time at which evaporation begins” [Kuteev84]

Thus, for pellet with high enough sublimation energy – like C pellets – there is a non-zero time in which the pellet is heated before ablation.

**This could be important for very fast pellet injection**

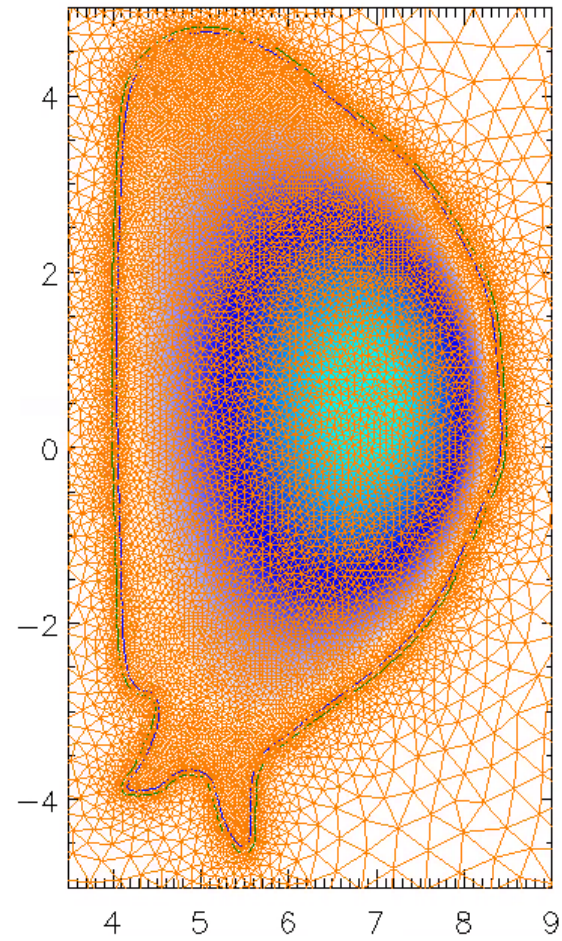
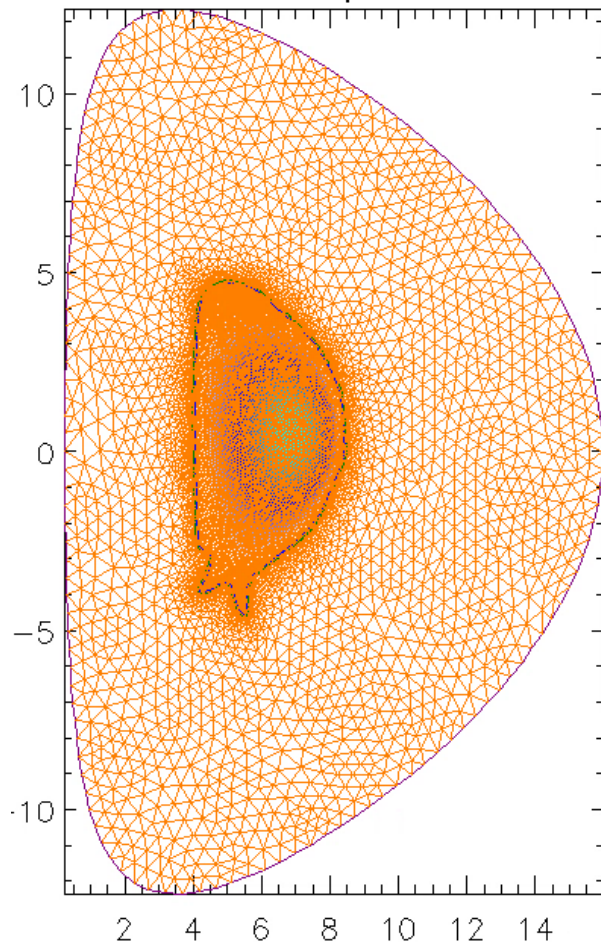
$$c_P \frac{dT}{dt} = Q \rightarrow T(t) = T_0 + \frac{1}{(4/3)\pi r_p^3 c_p} \int_0^t Q(t') dt$$

# Next steps...

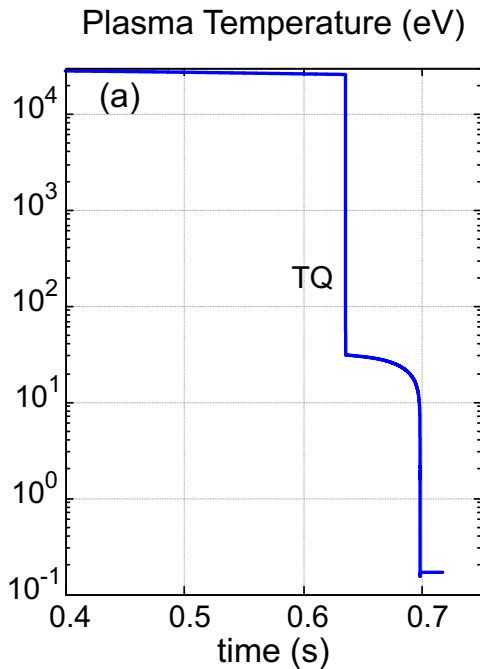
- **Carry out a series of simulations in NSTX-U scanning different parameters**
  - **Toroidal neutral cloud size**
  - **Using non-uniform toroidal plane distribution: increasing the spatial resolution around the pellet injection position**
  - **Different pellet velocities**
  - **Different ratio between the ablation to C and C<sup>3</sup>**
- **We are also interested in Be and W pellet injections into an ITER-like plasma**

# Extras...

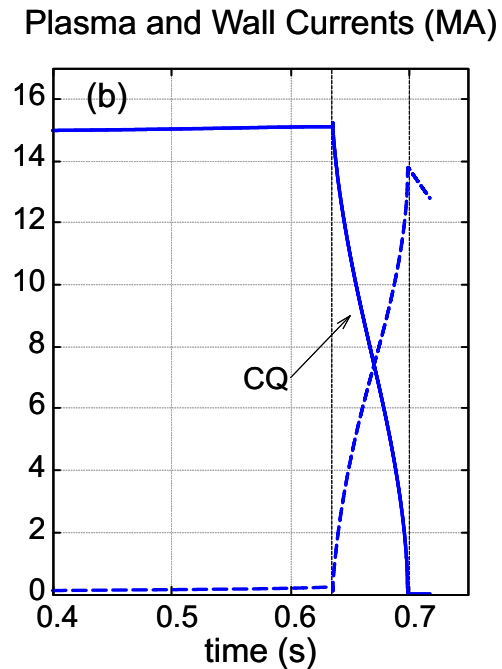
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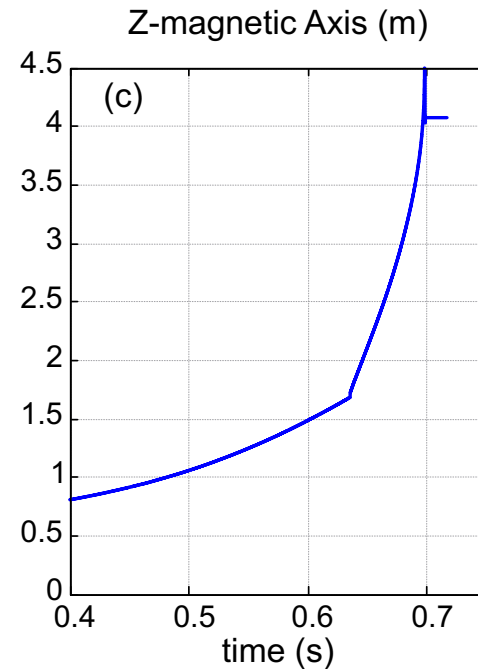
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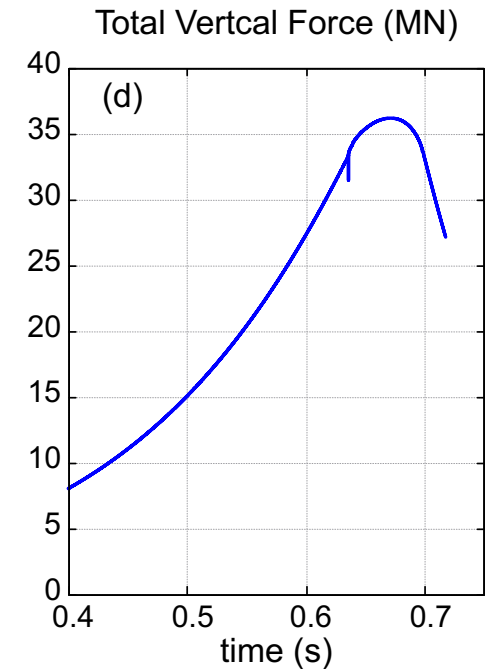
When we initiate the **Thermal Quench**, TQ, the plasma temperature falls down very sharply. This increases the plasma resistivity.



Because of the resistivity increasement at TQ, the plasma current starts decaying (**Current Quench**). This induces a total current in the wall.



The CQ increases the force imbalance and the plasma speeds up its vertical drift.



The currents flowing in the wall produce a total vertical force via  $\mathbf{J} \times \mathbf{B}$

# Extras...

Maximum vertical wall force for all the cases presented

