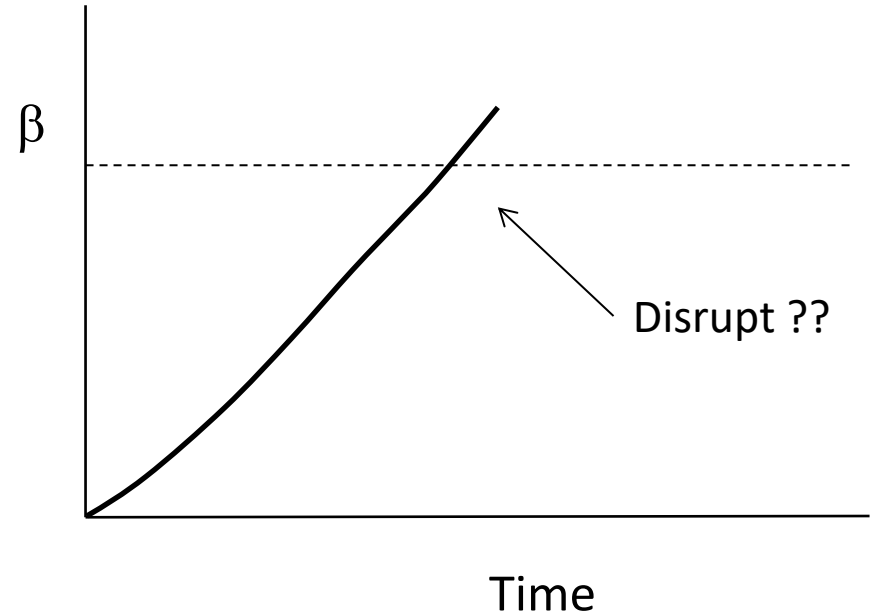


# 1.1 Prediction and Avoidance of Disruptions

- When does crossing a linear instability boundary lead to a disruption (hard limit)?
- When does it merely lead to increased transport which limits the  $\beta$  (soft limit)?



- To explore this, we have performed some long-time simulations of NSTX discharges that reach or exceed the linear ideal-MHD  $\beta$ -limit.
- To separate the physical mechanisms we perform identical calculations in 2D and in 3D to isolate the 3D effects

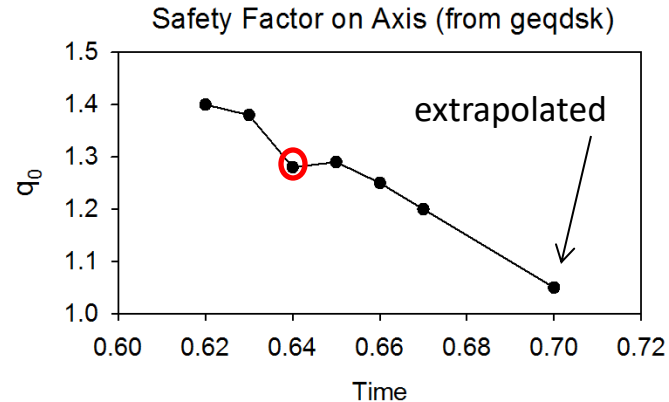
# Possible mechanism for soft beta limit

Shot 124379

Time .640

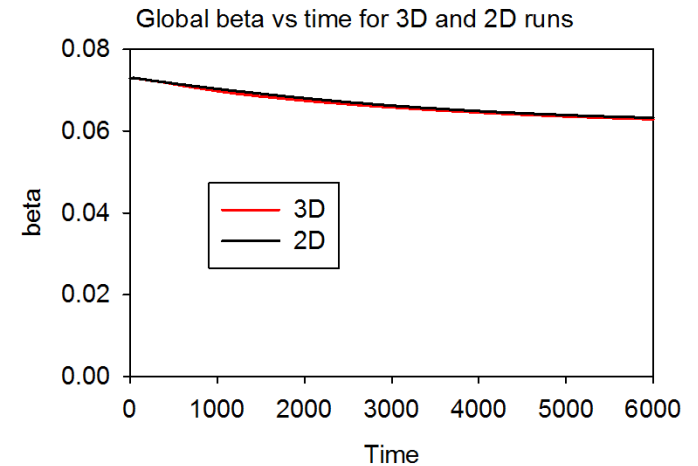
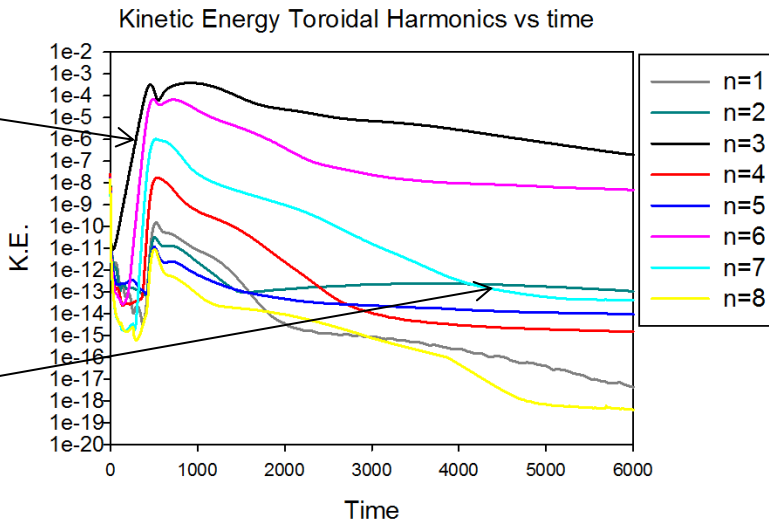
$q_0 = 1.28$

No toroidal rotation



Initially, only  $n=3$  is unstable

All modes saturate with K.E. decreasing with time



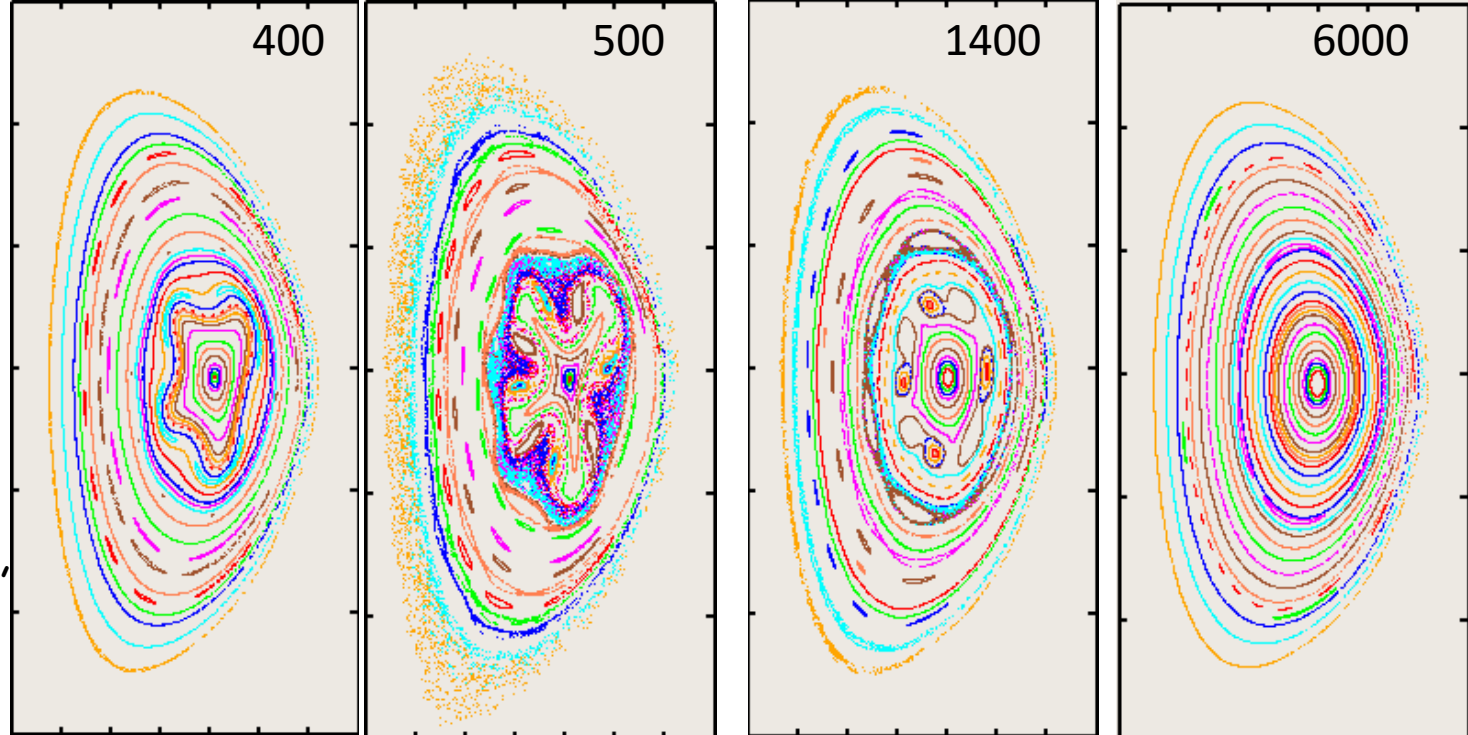
$\beta$  decreases slightly in time, but no more than in an 2D run with same transport model

Soft beta limit

$$q_0 = 1.28$$

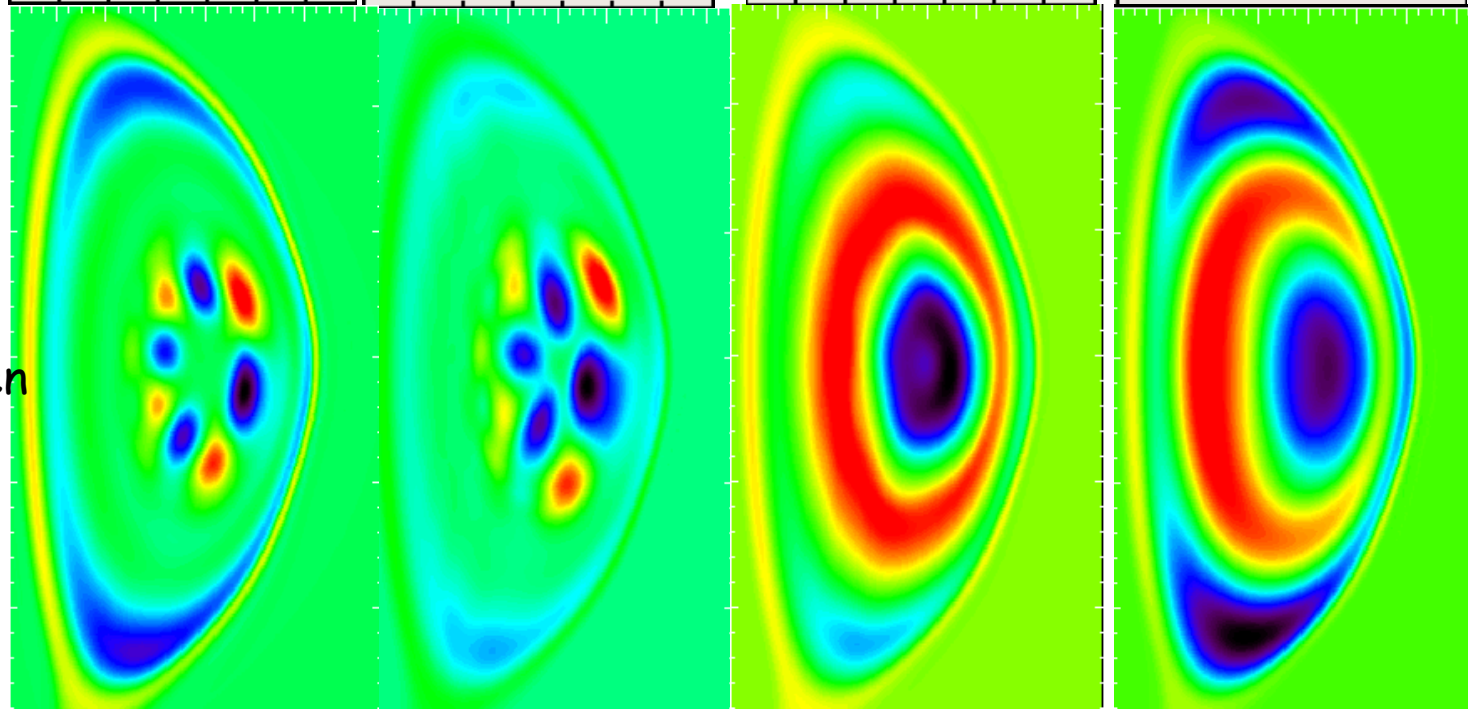
Poincare plots  $\rightarrow$

Surfaces deform,  
become stochastic,  
& completely heal.

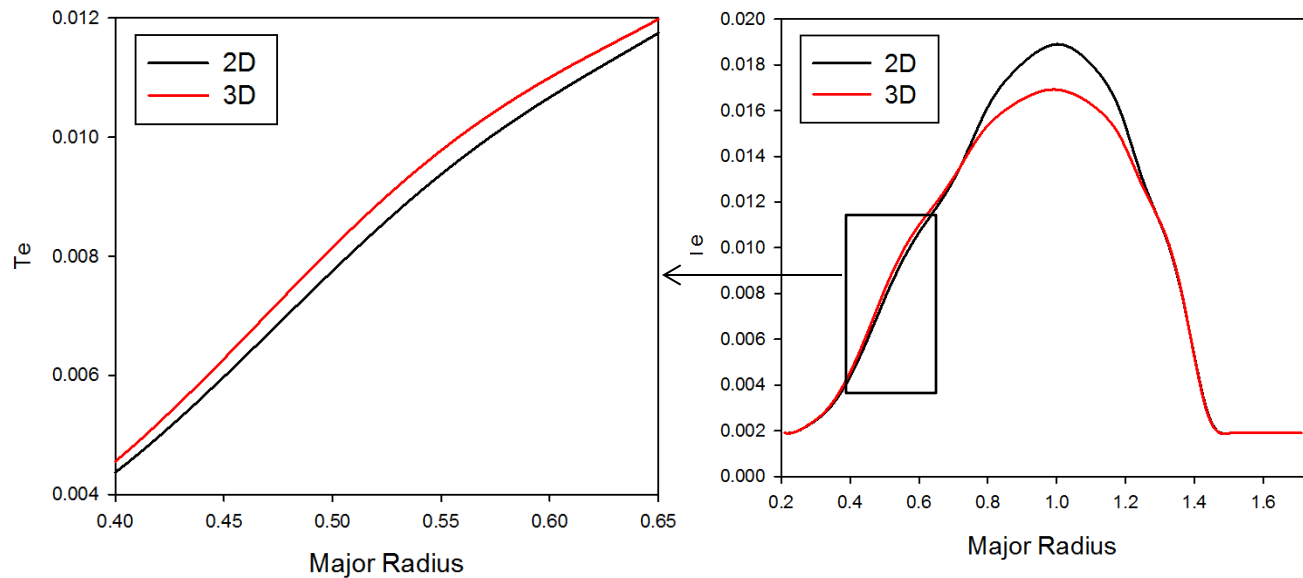


$\Delta T_e \rightarrow$

First pure  $n=3$ , then  
nonlinear, finally  
axisymmetric  
annulus



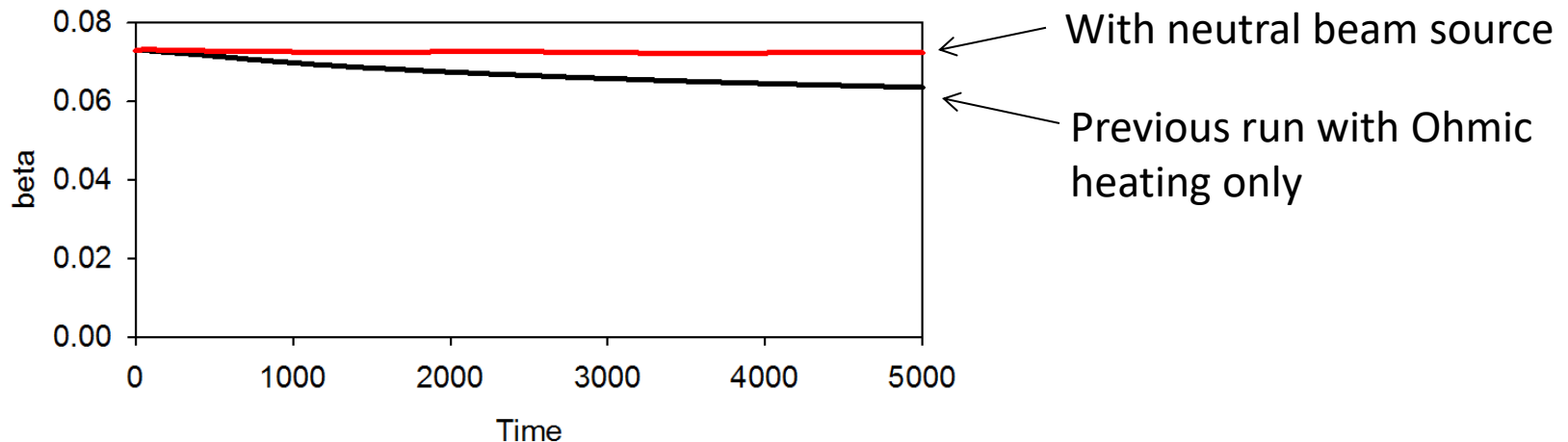
# soft beta limit -- continued



- Comparison of 3D run at  $t=6000$  with 2D run with identical transport coeffs. shows thermal energy has been redistributed.
- Central  $T_e$  differs by 10%, beta differs by only 0.6 %

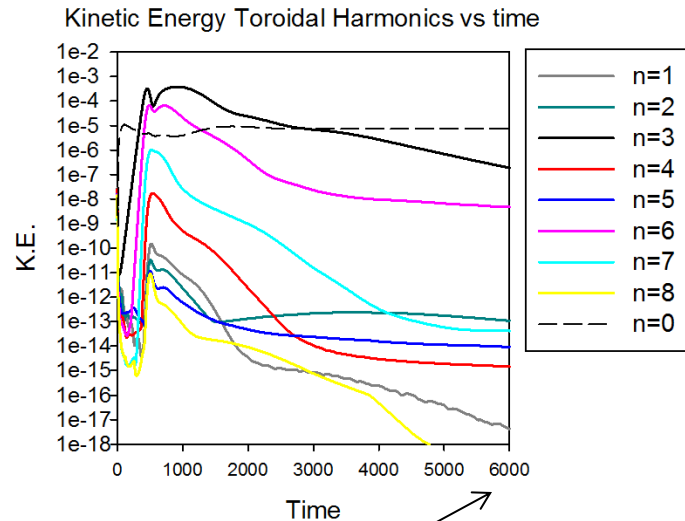
# dependence on heating source

- Previous run had beta decreasing in time, even in 2D case, because there was no heating source (except Ohmic).
- Now add *neutral beam source* to keep beta constant and to drive sheared toroidal rotation

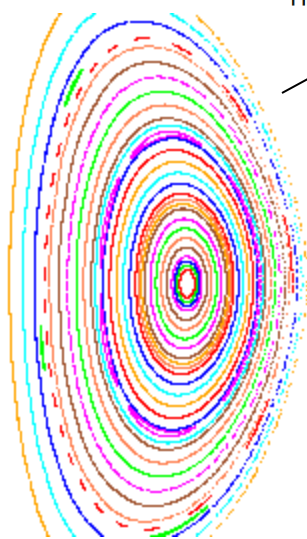
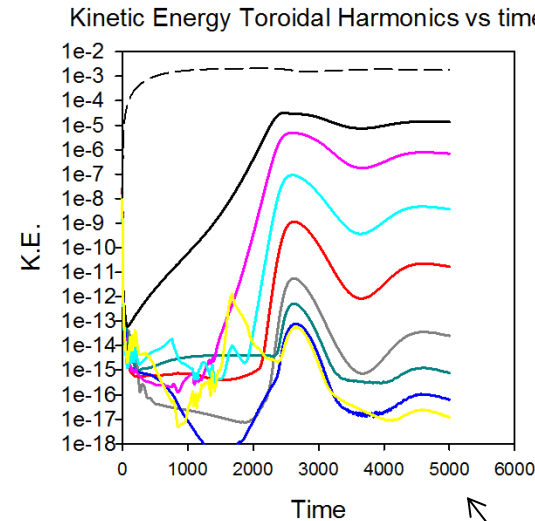


# dependence on heating source-cont.

## Ohmic heating only

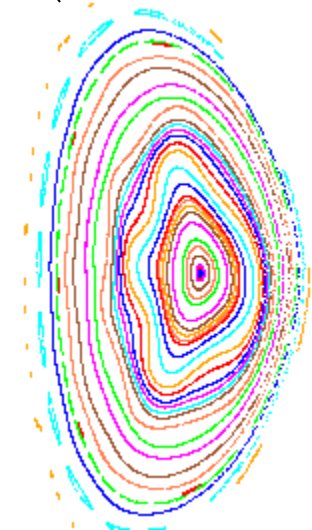


## With neutral beam source

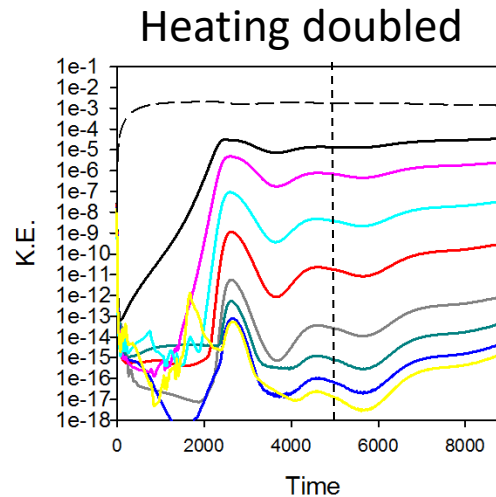
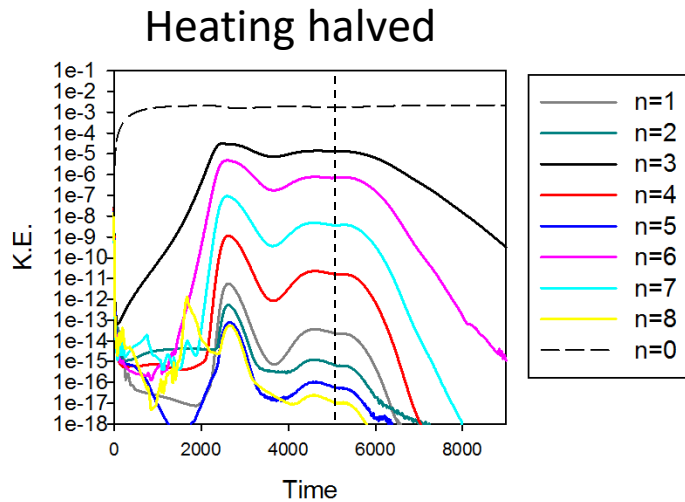
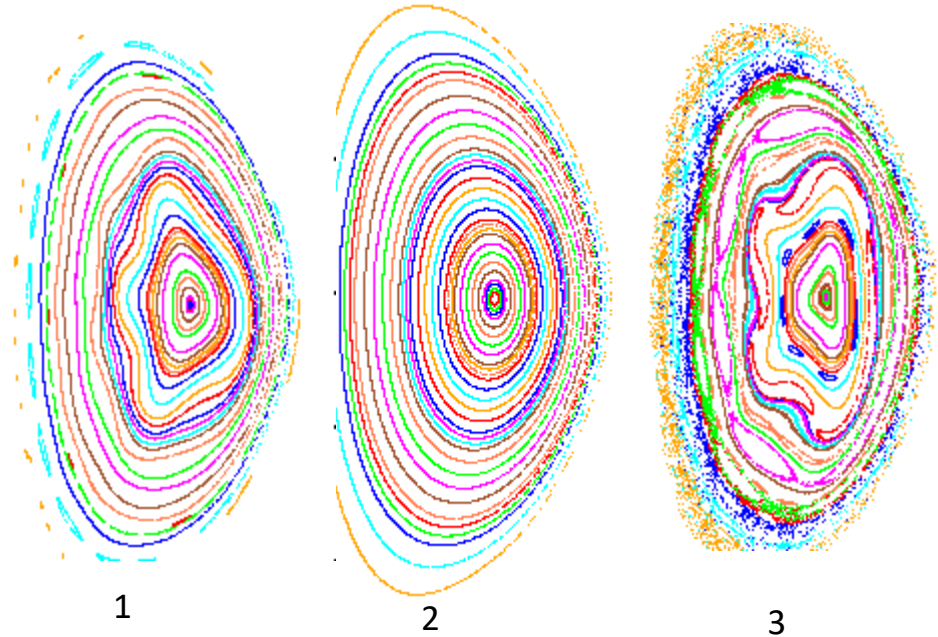
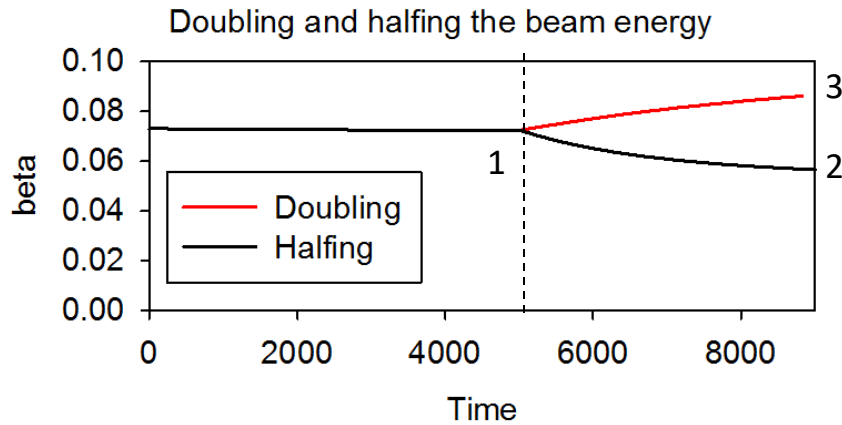


With heating and momentum source:  
(constant beta and sheared rotation)

- Initial linear growth of  $n=3$  mode much slower
- $n=3$  and higher harmonics do not decay away: surfaces distort



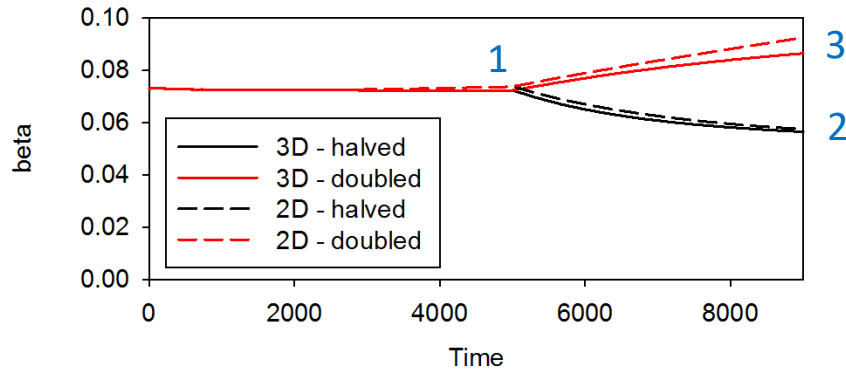
# effect of increasing (decreasing) heating



- With heating *reduced*, plasma returns to an axisymmetric state (2)
- With heating *increased*, surfaces become more distorted, but still exhibits confinement (3)

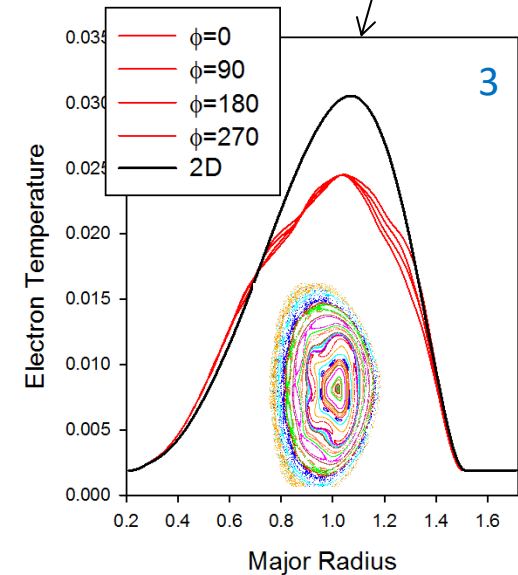
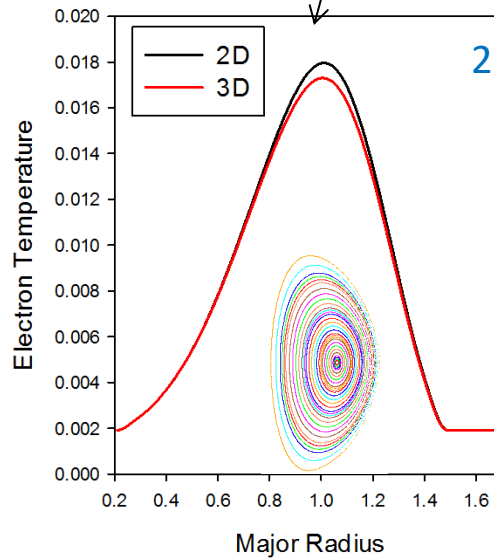
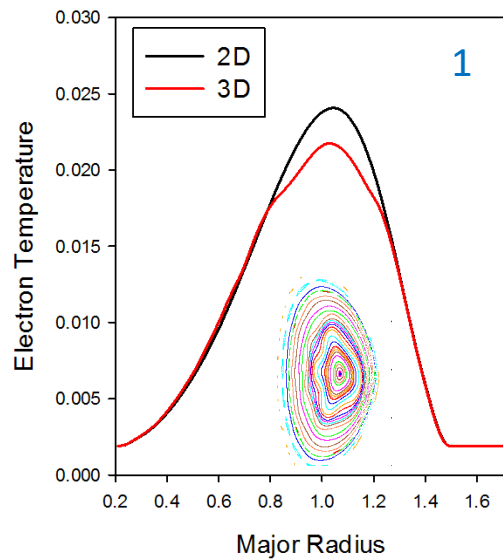
# effect of increasing (decreasing) heating

Comparison of 2D and 3D runs



- at low heating power,  $T_e$  profiles from 2D and 3D agree

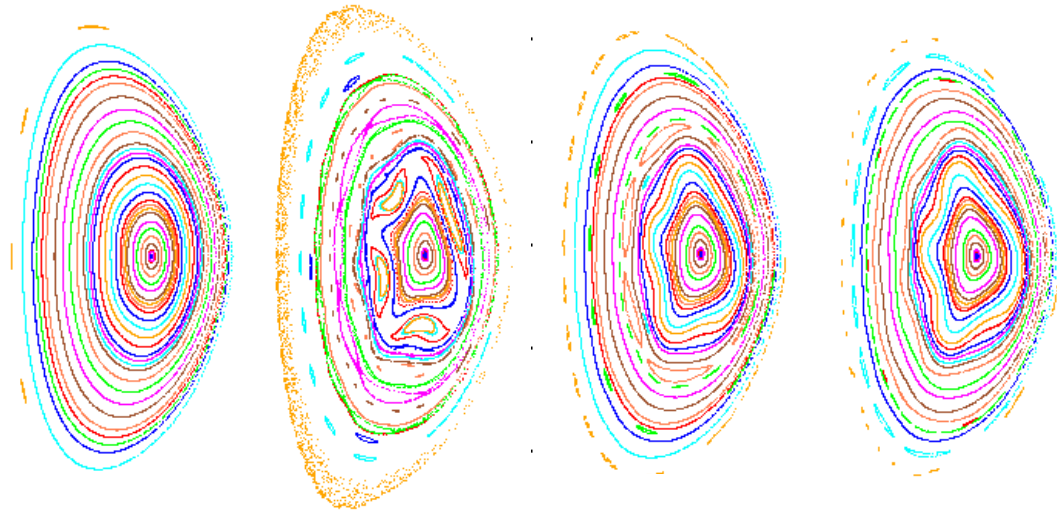
- at higher heating powers, they differ considerably



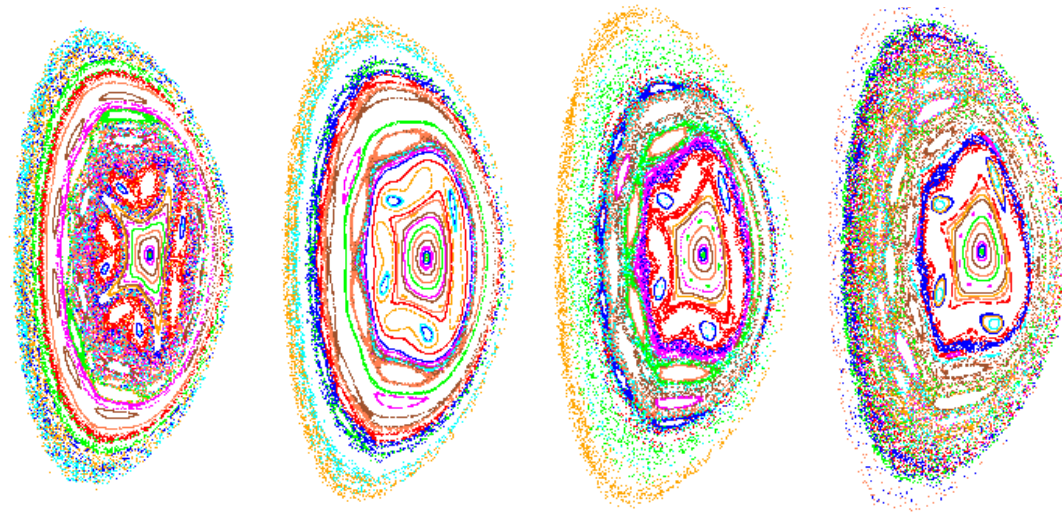


# importance of sheared rotation

With  
heating and  
momentum  
input  
(sheared  
rotation)



With  
heating only  
(no rotation)



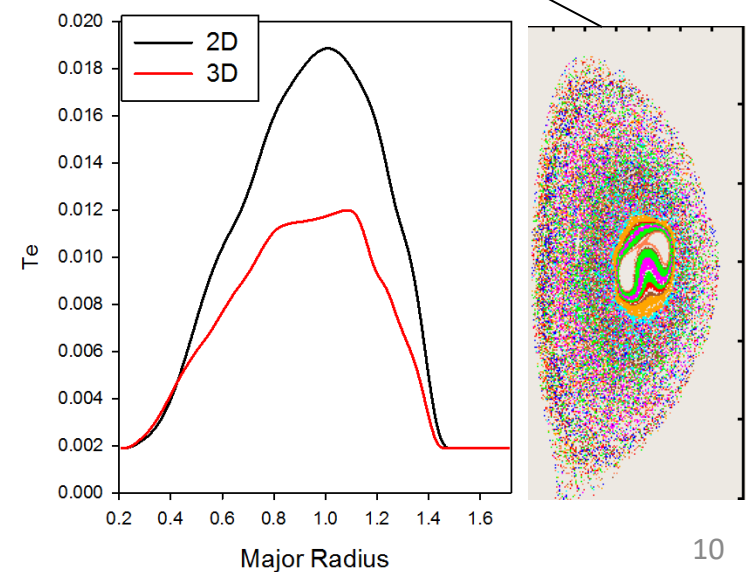
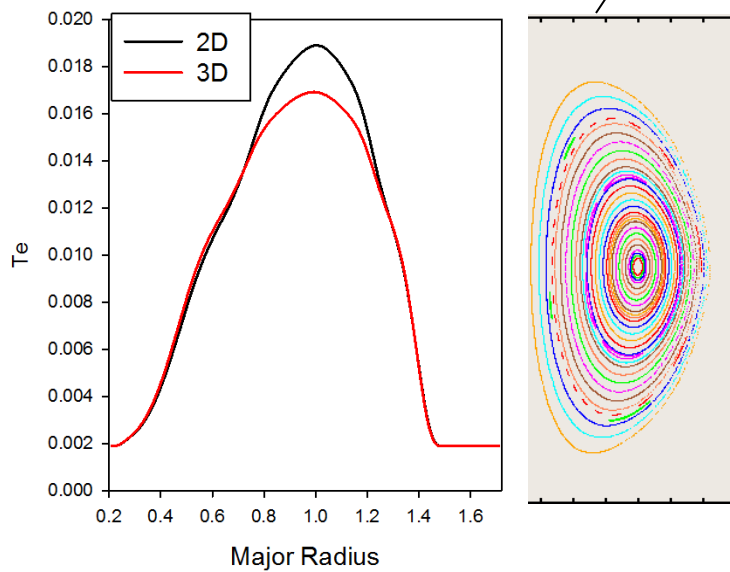
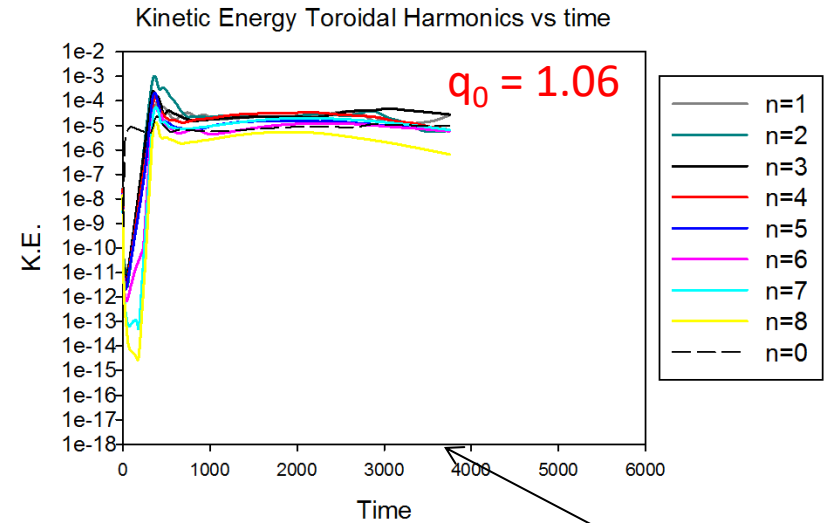
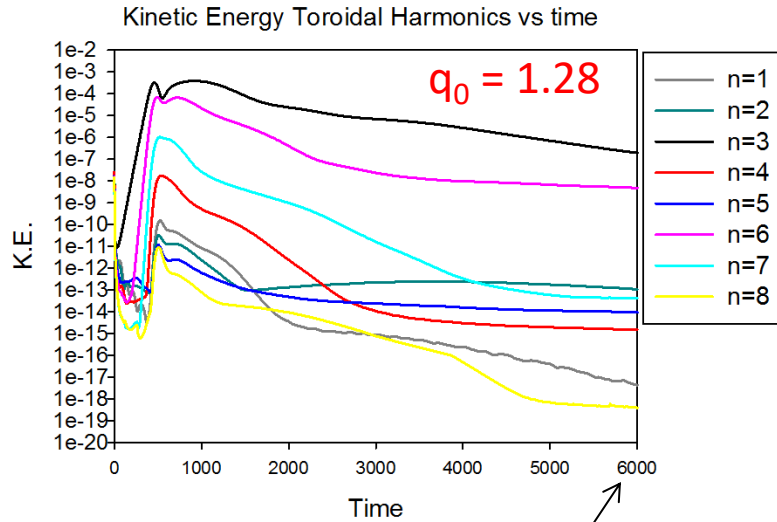
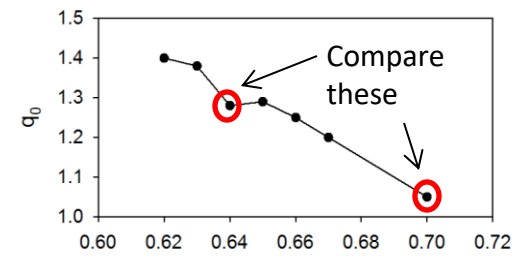
$t=2000$

$t=3000$

$t=4000$

$t=5000$

# equilibrium with lower $q_0$ shows thermal collapse

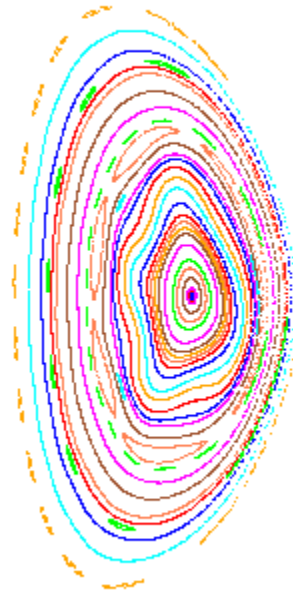
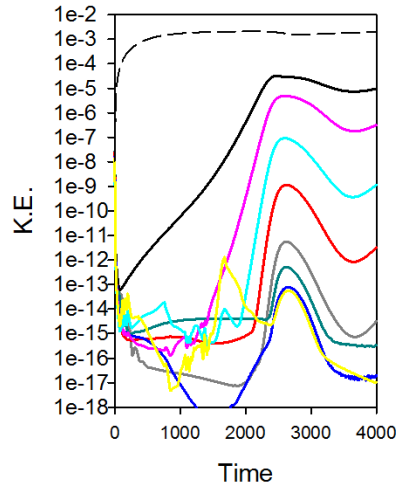


# numerical convergence study

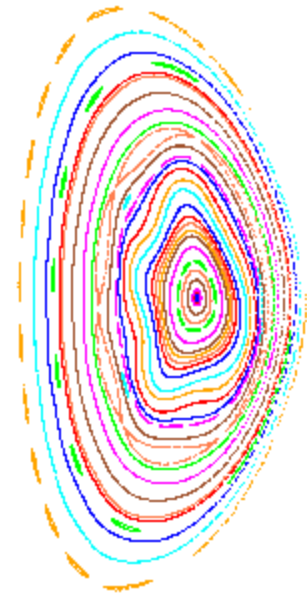
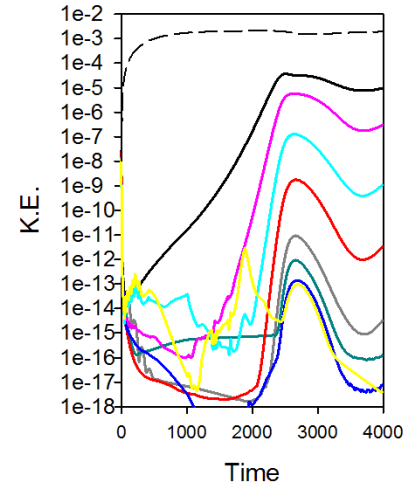
Original constant  $\beta$  run

With double the poloidal zones

Kinetic Energy Toroidal Harmonics vs time



Kinetic Energy Toroidal Harmonics vs time



# Summary of NSTX $\beta$ -limit studies

- We found some cases with  $q_0 \sim 1.28$  where a soft limit exists
- Similar cases with  $q_0 \sim 1.08$  seem to show a hard limit
- Important questions
  - What is the mechanism for reducing the pressure near marginal stability
  - Quantify the importance of sheared rotation
  - Is it useful to categorize things as the the # of unstable modes? (1 or more)
  - Can we see similar phenomena in NIMROD?